



Theory and Applications of Bio-Inspired Algorithms

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Optimizing the Layout of 1000 Wind Turbines

accurate, efficient, and parallelizable optimization algorithms for the layout of large wind farms

Motivation

Wind Energy:

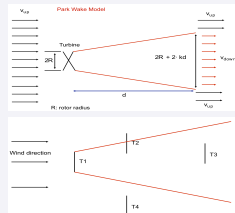
- Major player in **renewable energy**
- Huge market, challenging questions



Source: Cooperative Institute for Research in Environmental Science

Wind farm layout tools:

- Identify the **best layout** of wind turbines according to **energy capture**,
- model free stream wind** flowing through an area with sited turbines, while taking wake effects and turbulence intensities into account.
- Key component: the **optimizer algorithm**.



Challenges for the optimizer:

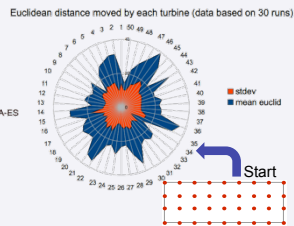
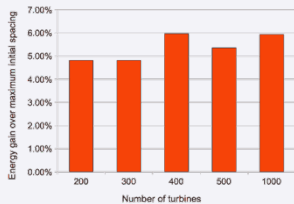
- large **numbers of turbines** & large farm **areas**
- constraints** on feasible sitings
- expensive **wake models**

State of the art:

- Few turbines, mediocre results, unrealistic assumptions

Achievements

So far: raised the bar from 6-50 to 1000 turbines



- General purpose algorithm: CMA-ES is a very powerful **evolutionary algorithm** approach to deal with **complex problems**. It respects the **correlations between the turbine positions** via **self-adaptation** of the covariance matrix of a multivariate normal distribution.

[Published at "European Wind Energy Association 2011" (industry conference) and presented at "Clean Energy 2011" (Go8C9 conference)]

- Problem-specific** algorithm, **reduced computational complexity** of an evaluation (formerly: quadratic (<30 seconds), now linear (<1s)).

[To be submitted]

Computational Complexity of Genetic Programming

backing up practice with theory

Motivation

Genetic programming (GP):

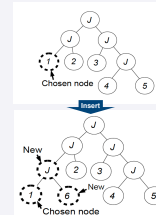
- Successfully applied** in various fields, such as symbolic regression, financial trading, medicine, and bioinformatics
- Theory lags behind** application

Computational Complexity Analysis:

- Make statements on the **expected time** that a GP system needs to **solve a problem**
- Identify the problems' **features** that makes them easy/difficult to solve, and, if possible, **present improvements**.

Challenges in the analysis:

- Compared to numerous related work, the **solution size can vary**, which makes the progress of the GP system mathematically difficult to handle.



State of the art:

- Field is very young, with initial results on atypical problems

Achievements

Results on the **sorting** problem

- Measuring **sortedness**: Pairs in order, longest ascending sequence, Hamming distance, ...

| Fitness function | (1+1) GP* | |
|------------------|------------------|---------------------------|
| | single | multi |
| INV | $O(n^3 T_{max})$ | $O(n^3 T_{max})$ |
| HAM | ∞ | $\Omega((\frac{n}{2})^n)$ |
| RUN | ∞ | $\Omega((\frac{n}{2})^n)$ |
| LAS | ∞ | $\Omega((\frac{n}{2})^n)$ |
| EXC | ∞ | $\Omega((\frac{n}{2})^n)$ |

- The **choice** on how to measure sortedness can make the difference between runtimes that are **polynomial or exponential** (or infinite) in the number of elements to be sorted.

| Fitness function | (1+1) GP* | |
|------------------|---|---|
| | single | multi |
| HAM | $O(T_{max} \cdot (n^2 + \log T_{max}))$ | $O(T_{max} \cdot (n^2 + \log T_{max}))$ |
| RUN | ∞ | $\Omega((\frac{n}{2})^n)$ |
| LAS | $O(T_{max} \cdot (n^2 + \log T_{max}))$ | $O(T_{max} \cdot (n^2 + \log T_{max}))$ |
| EXC | ∞ | $O(T_{max} \cdot (n^3 + \log T_{max}))$ |

- When **parsimony** is added (a common approach in GP applications), the smaller solutions are preferred, which results in **polynomial runtimes** for many sortedness measures.

- Although atypical as well, this is the problem with which the complexity analysis of evolutionary algorithm on combinatorial problems started in 2004—now the latter field is buzzing.

[Available as part of a book chapter of "Genetic Programming – Theory and Practice 2011", and as a technical report. Results presented at "Theory of Randomized Search Heuristics 2011"]

Next, the primal use-case will be investigated: symbolic regression.

Other projects

Evolving Pacing Strategies to Win Olympic Gold

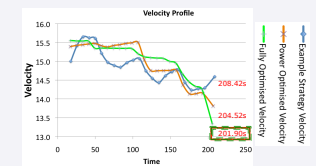
Team Track Pursuit

- The **cyclists cycle as a team** against a second team.



- In the **energy-saving linear formation**, the first cyclist uses the most energy, while the others benefit from his **slipstream**.

- We **evolve racing strategies** that tell the cyclists how quick they should go, and when to change the order.

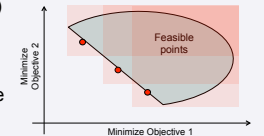


[Best Paper award achieved at "Metaheuristics International Conference 2011". Collaboration with the Australian Institute of Sports.]

Efficient Optimization of Many Conflicting Objectives

Multi-objective optimization

- Goal: find a set of **compromise solutions**, approximating the true set of compromise solutions (called Pareto front)



Set of resulting solutions should be

- Close** to the true Pareto front, **covering** the entire Pareto front, and **evenly distributed**

State-of-the-art approaches have drawbacks

- Crowding, computationally expensive (hypervolume: runtime increases exponentially with the number of dimensions), ...

Our algorithm

- outperforms state-of-the-art** (when it comes to a particular quality measurement, and under time restrictions), and its **runtime increases only linearly with the number of dimensions**.

[Published at "International Joint Conference on Artificial Intelligence 2011"]

And...

Wind Farm Energy Output: improve the prediction of the production to improve sales by adjusted prices.

Meta-Learning for the Travelling Salesperson Problem: learn features of instances to select the right solver from an ensemble.